

## Module 6: Examples of functions from geometry

### Part B – How strong is the nonlinear relationship

Most regression models include a correlation coefficient ( $r$ ). This value helps you determine the strength and direction of a relationship.

1:A	2:B
3:r	4:
5:	

Here are all the types of regression models that are built in.

2:  $A + BX$ - Linear Regression

3:  ~~$\_ + CX^2$~~  ( ~~$A + BX + CX^2$~~ ) Quadratic Regression- Does not include  $r$ .

4:  $\ln X$  ( $A + B \cdot \ln X$ )- Natural Log Regression

5:  $e^X$  ( $A \cdot e^{BX}$ )- Exponential base  $e$  Regression

6:  $A \cdot B^X$  ( $A \cdot B^X$ )- Exponential Regression

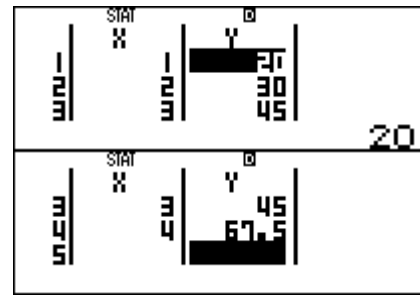
7:  $A \cdot X^B$  ( $A \cdot X^B$ )- Power Regression

8:  $1/X$  ( $A + B/X$ )- Inverse Regression

1:1-VAR	2:A+BX
3:_+CX <sup>2</sup>	4:ln X
5:e^X	6:A·B^X
7:A·X^B	8:1/X

Choose a model that best fits the data set you have been given and enter the values. This example will look at bacterial growth using an exponential model. Choose **6**.

X	Y
1	20
2	30
3	45
4	67.5



To see the strength of this relationship press

**AC** **SHIFT** **1** **5** **3** **=**.

The correlation coefficient is only one part of determining the fitness of a model and should be used with a graph of the data set.

